

2020/04/22 - AVL Trees

21 Tháng Tư 2020 1:48 SA

SYNOPSIS

- Final lab!
- Unfortunately, due on Apr 25 at 6AM... yikes!

GETTING STARTED

- Run the following commands:

```
mkdir obj bin
```

```
cp -r ~/jplnk/cs140/Labs/LabB/include .
```

```
cp -r ~/jplnk/cs140/Labs/LabB/src .
```

```
cp ~/jplnk/cs140/Labs/LabB/makefile .
```

- Read the lecture notes for AVL. You must be familiar with BST and AVL before attempting this!
- If you didn't do Lab A, do it or sit in on lab stream on Wednesday where I show solution. AVLs are based on BST (just balanced) so you **must** understand them.

SUBMISSION COMMAND

- tar -cvf labB.tar src/avl/tree_lab.cpp

SUGGESTED ORDER

- Like **Lab A**, follow the gradescript for proper implementation steps.
- Height — No recursion needed. It's a one-liner.
- Ordered_keys — Straight from Lab A.
 - make_key_vector
- imbalance — Optional non-class helper functions described in lab writeup.
- fix_height
- rotate
- fix_imbalance
- insert & delete
- operator = — Similar to last lab
 - recursive_postorder_copy

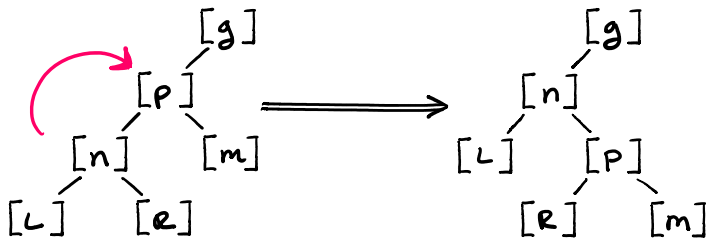
SOME HELP: ROTATE

- Consider rotating on a node "n".
- Have **FIVE** more pointers:
 - p - parent of "n".
 - g - grandparent of "n". Ok if sentinel.
 - m - middle. p's other child. Ok if sentinel.
 - L - left child of "n". Ok if sentinel.
 - R - right child of "n". Ok if sentinel.
- I know, Dr. Plank suggests only n, g, p, m. But hear me out... It'll save a **LOT** of trouble.

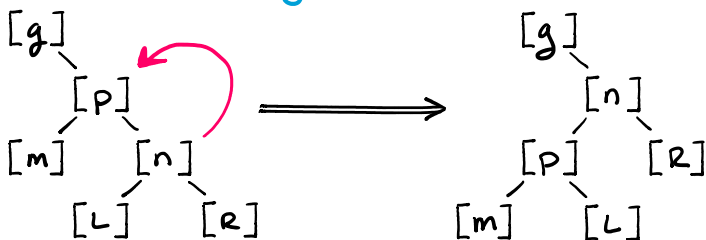
- Determine which way to rotate:
 - if $p \rightarrow \text{left}$ is n , rotate **right**.
 - if $p \rightarrow \text{right}$ is n , rotate **left**.

- Behold the following diagrams for rotation:

- If " n " is to **left** of p : **RIGHT ROTATE**



- If " n " is to **right** of p : **LEFT ROTATE**



- Update g 's pointers too. If $g \rightarrow \text{left}$ was p , replace with n . If not it's to the right. Replace that instead.

- I wrote an additional helper function called "node-quickset":

```
void node_quickset ( AVLNode * n,
                    AVLNode * l,
                    AVLNode * r,
                    AVLNode * p );
```

Sets $n \rightarrow \text{left}$, $n \rightarrow \text{right}$, and $n \rightarrow \text{parent}$ if l , r , and p aren't **NULL** respectively.

Sounds useless, but it makes **rotate** even easier.

if we rotate **LEFT**:

node_quickset(n, ..., ..., ...)

node_quickset(p, ..., ..., ...)

node_quickset(l, ..., ..., ...)

if we rotate **RIGHT**:

node_quickset(n, ..., ..., ...)

node_quickset(p, ..., ..., ...)

node_quickset(r, ..., ..., ...)

Makes you do less confusing pointer stuff and skip straight to solving the problem. It's optional, of course.

SOME HELP: imbalance & fix_height

- Can be one-liners.

- Imbalance: Height of left + right is off by more than 1.

$$|\text{LEFT}_H - \text{RIGHT}_H| > 1$$

- fix_height: Height is largest of two children + 1.

$$\max(\text{LEFT}_H, \text{RIGHT}_H) + 1$$

SOME HELP: fix_imbalance

- You need to identify **two cases**:

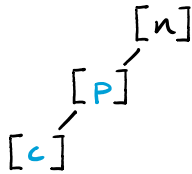
- straight (zig-zig)

- jagged (zig-zag)

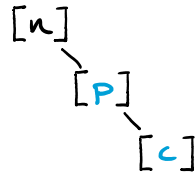
- IN A NUTSHELL ...

Zig-Zig =

LEFT-LEFT

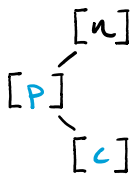


RIGHT-RIGHT

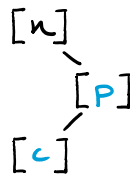


Zig-Zag =

LEFT-RIGHT



RIGHT-LEFT



- DETERMINING NODES BELOW "n":

- make two pointers of AVLNode: p (parent), c (child)
- p is one of n's children. c is one of p's.
- choose based on height for both.
 - choose greatest height.
 - for p, a tie is impossible. you wouldn't call this function otherwise.
 - for c, if tie, force same direction as p. (e.g. if $p = n \rightarrow \text{left}$, $c = p \rightarrow \text{left}$).

- ROTATION

- If zig-zig, perform "rotate" on p.
- If zig-zag, perform "rotate" on c ... twice.
- You may have to manually fix the heights of n, p, and c.

INSERTION

- Resort to lecture notes.
- From inserted node n , go up until $n == \text{sentinel}$ and:
 - store height in variable. Then `fix_height` it.
 - Check if height changed. `Break` if not.
- Check for imbalance. If there is one, `fix_imbalance` and then `break`.
- Do not modify Dr. Plank's code unless you feel that you must. These actions are appended at the end.

DELETION

- Simpler than the lecture notes may imply.
 - From $n = \text{parent}$, go up until $n = \text{sentinel}$ and:
 - Fix the height
 - If there is an imbalance, fix it.
- Again... append at end of function. Don't modify the given code if you don't need to.

OPERATOR = AND RECURSIVE_POSTORDER_COPY

- Similar to last lab.
- Start recursion at `t.sentinal` → `right`.
- Go left, go right, make new node. (Post-order)
- Be sure to set height of the new node to n 's.
- Finishing this should knock out gradescript 51-100.